

POPULATION MODELING APPROACH OF CIRCADIAN BLOOD PRESSURE VARIATIONS USING AMBULATORY MONITORING IN DIPPERS AND NON DIPPERS



Marion Dehez^{1,2,3}, Marylore Chenel¹, Roeline Jochemsen¹, Stéphanie Ragot²



¹Servier Research Group, 6 Place des Pléiades, 92415 Courbevoie cedex, France, ²Centre de Recherche Clinique, CHU La milétrie, 86021 Poitiers cedex, France, ³EA3809, Faculté de Médecine Pharmacie, 34 rue du Jardin des Plantes, 86009 Poitiers cedex, France

Introduction

- ✓ In most patients with essential hypertension, blood pressure (BP) decreases by 10 to 30% at night compared to daytime values. Nevertheless, in about 30% of the hypertensive population, patients termed "non dipper" present a blunted night-time decrease in BP and are particularly at risk regarding target organ damage.
- ✓ This nocturnal BP fall is calculated as a relative reduction in average BP at night (11 PM to 06:59 AM) compared to daytime (7 AM to 10:59 PM) values for both systolic and diastolic BP (respectively SBP and DBP) that means without using the whole ABPM information.
- ✓ Non dippers were defined as those with a nocturnal BP fall in SBP, DBP or both < 10% of daytime BP, leading to split the hypertensives into 2 subpopulations: dippers and non dippers.
- ✓ As this categorization was only based on a clinical definition, we were interested in investigating if any heterogeneity in the global population can be explained using many subpopulations.

Thus the aim of the present work was to evaluate the ability of a mixture model to correctly predict the clinical dipper status.

Data

- ✓ Data were extracted from a placebo run-in phase of a large randomized clinical trial in 1004 mild to moderate essential hypertensives.
- ✓ Diabetic patients were excluded.
- ✓ According to the gold standard dipping definition there are 649 dippers and 355 non dippers on SBP.

Structural model

- ✓ Based on prior knowledge, a 3 cosine model (as follows) best described BP circadian variations.

$$BP(t) = \theta_1 \times \exp(\eta_1) \times \left[1 + \left(\sum_{i=1}^3 \theta_{2i} \times \exp(\eta_{2i}) \times \cos(i \times 2\pi / 24 \times (t - (\theta_{2i+1} + \eta_{2i+1}))) \right) \right] + \varepsilon$$

θ_1 is mesor (mean over the 24 hours), θ_{2i} are amplitudes and θ_{2i+1} are phase shifts of the cosine terms.

η_1 , η_{2i} and η_{2i+1} represent interindividual variabilities of the mesor, amplitudes and phase shifts, respectively.

Interindividual variability was found on mesor and amplitudes (multiplicative model) and on phase shifts (additive model).

ε represents the additive residual error.

Mixture distribution modeling

- ✓ k is the number of subpopulations fixed to 2. The probability that an individual drawn from a population is a member of the k th subpopulation is P_k .
- ✓ This probability P_k can be interpreted as the proportion (P) of patients in one type of population.
- ✓ As we have no prior knowledge of which combination of parameters is involved in the nocturnal BP fall, different mixture models were tested.

Model evaluation

- ✓ The selection of the final model was both based on Likelihood Ratio Test (LRT) and on the percentage of misclassified patients by the model regarding the gold standard definition.
- ✓ Data were analyzed using NONlinear Mixed Effects Modelling (NONMEM version V) with the FOCE (First Order Conditional Estimate) method with interaction.

Results from the mixture model

As the results were similar between DBP and SBP, only those for SBP are reported here.

Table 1. Population parameters of the final SBP mixture model in the two subpopulations.

	Mean parameter estimate (%CVSE)		Interindividual variability (%CVSE)	
	Population 1	Population 2	Population 1	Population 2
Mesor (mmHg)	138 (0.4)	145 (0.8)	9.2 (7.1)	11 (9.2)
Amplitude cos1	10% (2.8)	5% (6.4)	33 (10)	51 (11)
Phase shift cos1	15 (0.5)	14 (1.8)	1.4 (14)	3.9 (13)
Amplitude cos2	5.4%(2.6)	3.8%(6.8)	37 (11)	57 (16)
Phase shift cos2		8.9 (0.5)		1.3 (8.2)
Amplitude cos3		2.6%(2.5)		47 (8.8)
Phase shift cos3	2.5 (2.8)	1.9 (6.8)	1.2 (14)	1.6 (11)
Residual error (mmHg)			11 (1.4)	
Proportion population 2		0.34 (12)		

Estimates of amplitudes of the cosine terms are expressed as a percentage of the mesor. Estimates of interindividual variability (IIV) of mesor and amplitude are expressed as coefficient of variation. Interindividual variability of phase shift is expressed in hours. %CVSE is Coefficient of Variation based on Standard Error.

Table 2. The main different assumptions tested to build the mixture model.

Mixture model description	Likelihood ratio	Number of parameters
No mixture	-	15
Mixture on amplitude cos2	-159	18
Mixture on mesor and amplitude cos2	-171	20
Mixture on mesor, 2 amplitudes and 2 phase shifts	-506	26

Table 3. Percentage of misclassified patients in the different mixture models tested.

Mixture model description	Percentage of misclassified patients
Mixture on amplitude cos2	24.7%
Mixture on mesor and amplitude cos2	24.2%
Mixture on 2 amplitudes and 2 phase shifts	9.7%

Percentage of misclassified patients is expressed as the proportion of false positives and false negatives within the population.

Discussion and conclusion

- ✓ The use of a mixture model to deal with the variability of the nocturnal blood pressure fall was found to be relevant in terms of decrease of the objective function value.
- ✓ The best model was the model including mixture on parameters which were previously found significantly different between dippers and non dippers.
- ✓ The low percentage of misclassified patients shows the ability of the model to classify the hypertensives in the two clinical subpopulations.
- ✓ Estimation of parameters by the mixture model reproduces quantitatively the differences previously observed in mesor and amplitudes in the two clinical subpopulations.
- ✓ Dipping status categorization is not only clinical but also statistical.
- ✓ Further models are currently tested regarding the ability to decrease the proportion of misclassified patients.